

Randomized Probed Imaging through Deep K-learning

(Gradient Descent is All You Need)

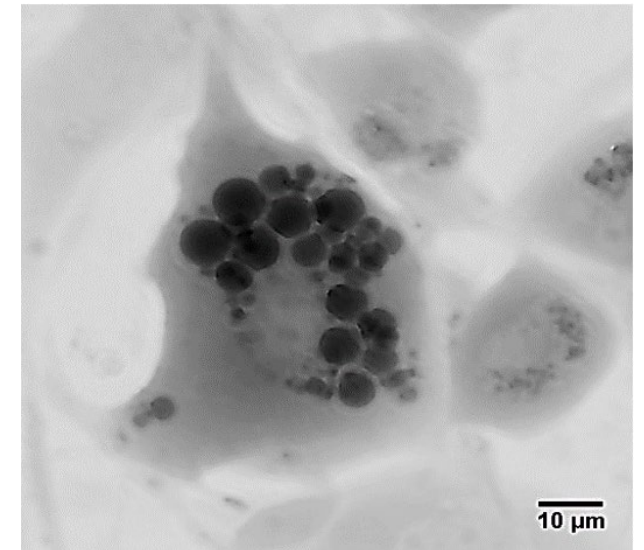
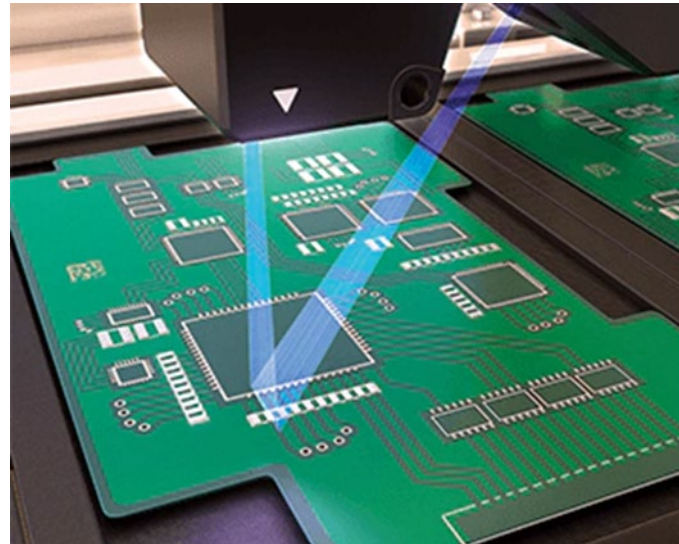
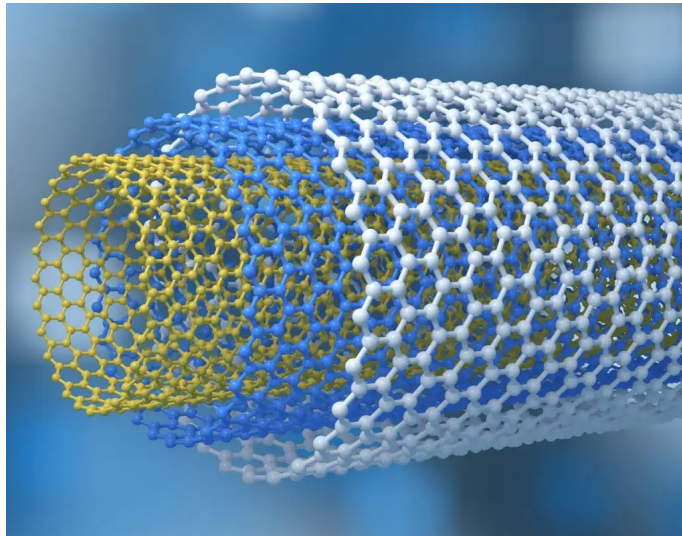
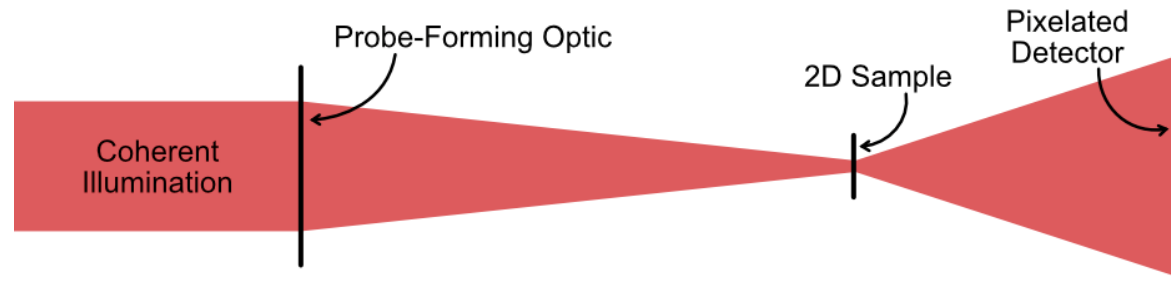
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Massachusetts
Institute of
Technology

Coherent diffractive imaging

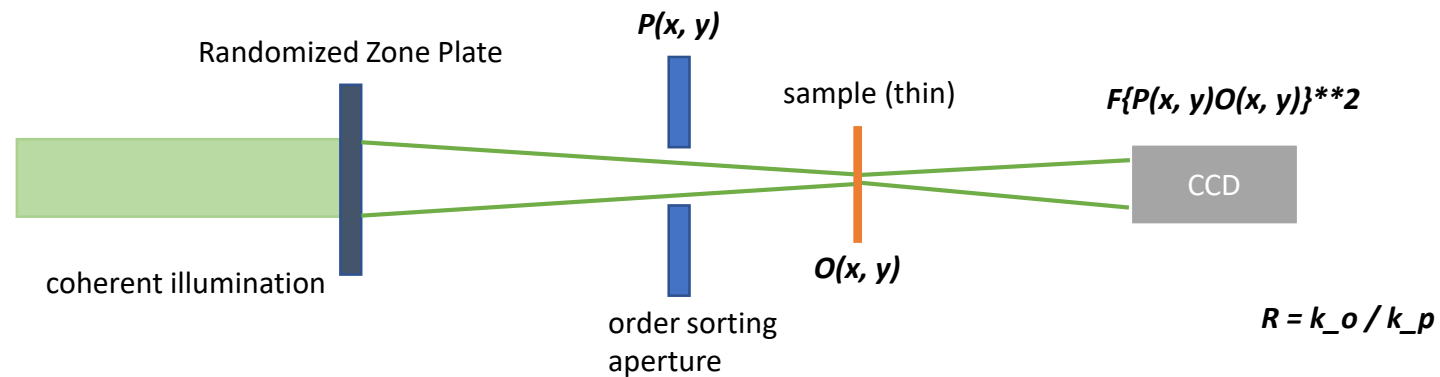


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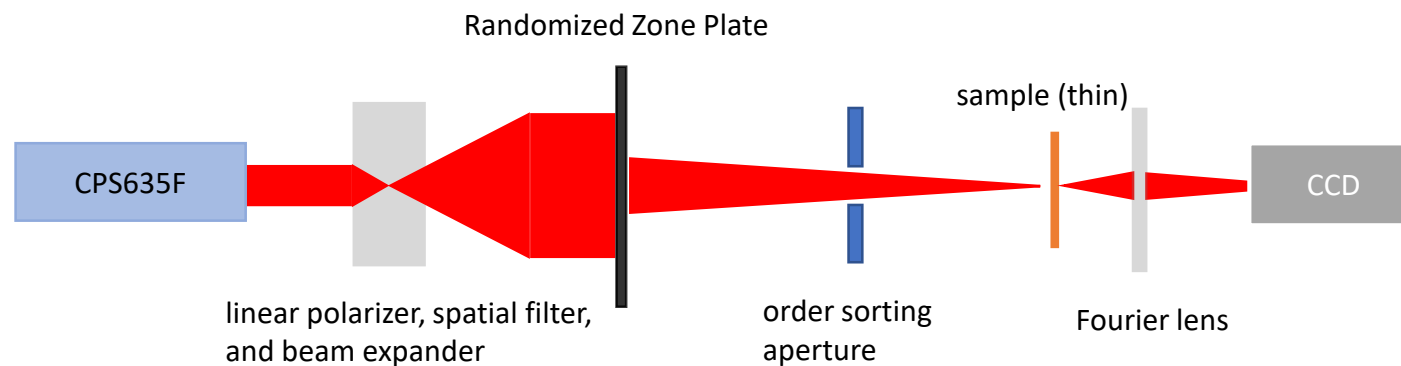
<https://arstechnica.com/science/2018/05/forget-carbon-fiber-we-can-now-make-carbon-nanotube-fibers/>
<https://focalplane.biologists.com/2022/05/18/how-quantitative-phase-imaging-can-change-the-way-you-look-at-cells/>

Randomized Probed Imaging

Simulated Apparatus for Training



Experimental Apparatus for Testing



Related Works

PtychoNet: Fast and High Quality Phase Retrieval for Ptychography

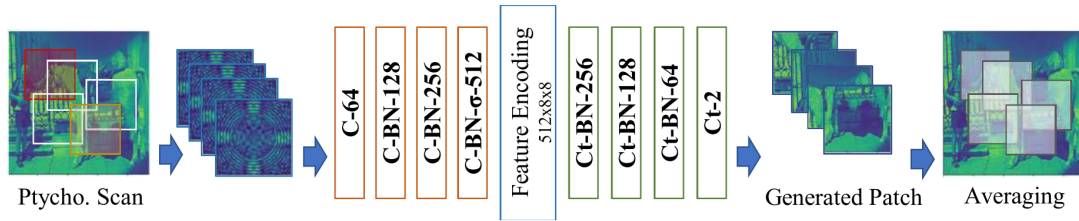


Figure 1: Architecture of PtychoNet. In the network: C - convolution, size 4x4, stride 2; Ct - convolution transpose, size 4x4, stride 2; BN - batch normalization; σ - sigmoid. Activation functions in the encoder is LeakyReLU, $\alpha = 0.2$; ReLU in the decoder.

ALGORITHM 1: Reconstruction using PtychoNet.

- Input:** Full scan $\mathbf{A} \in \mathbb{R}_+^{N \times h \times w}$, scan layout $\mathbf{M} \in \mathbb{Z}^{N \times 4}$.
Output: Object image $\mathbf{Y} \in \mathbb{R}^{2 \times H \times W}$.
- 1 $\mathbf{Y} = \mathbf{K} = \mathbf{0}^{2 \times H \times W}$;
 - 2 **for** each diffraction image \mathbf{A}_j in parallel **do**
 - 3 Compute the corresponding object patch \mathbf{Y}_j in real space with input \mathbf{A}_j ;
 - 4 $\mathbf{M}_j(\mathbf{Y}) = \mathbf{M}_j(\mathbf{Y}) + \mathbf{Y}_j$;
 - 5 $\mathbf{M}_j(\mathbf{K}) = \mathbf{M}_j(\mathbf{K}) + \mathbf{1}$;
 - 6 **end**
 - 7 $\mathbf{Y} = \mathbf{Y} / \max(\mathbf{K}, \mathbf{1})$;

Real-time sparse-sampled Ptychographic imaging through deep neural networks

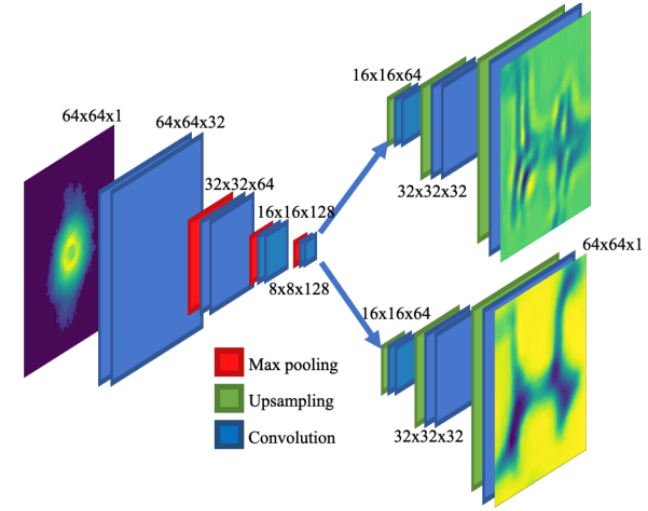


FIG. 1. Architecture of PtychoNN, a deep convolutional neural network that can predict real-space amplitude and phase from input diffraction data alone.

Deep neural networks in single-shot ptychography

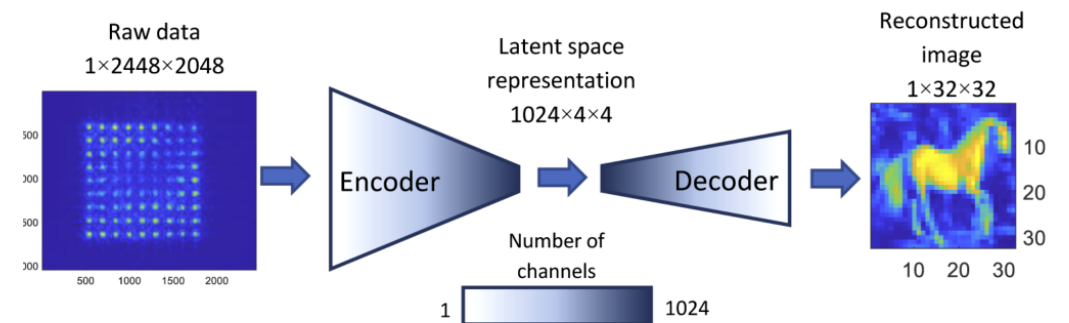
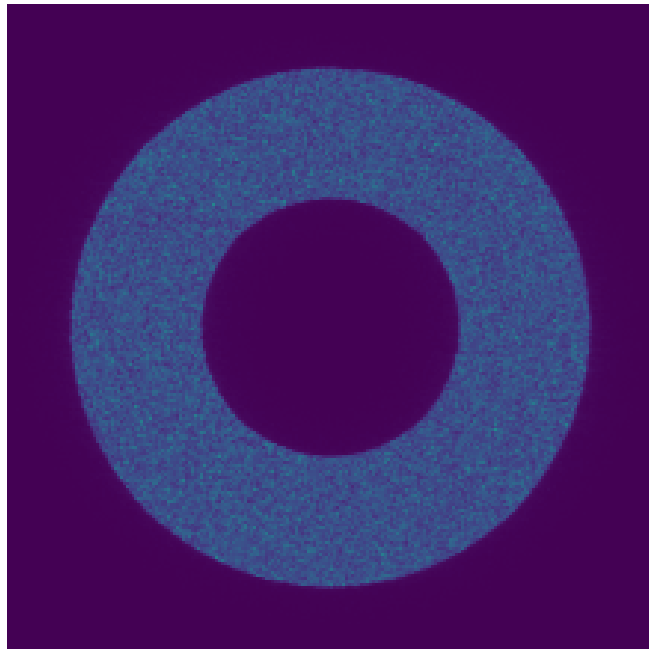


Fig. 2. A schematic of the proposed SspNet architecture. SspNet is comprised of an encoder network and a decoder network (a convolutional encoder-decoder) which are represented in this figure as trapezoids: the width of a trapezoid (parallel to the bases) indicates the spatial size of the tensors (not to scale) and the fill color indicates the number of channels where darker color means more channels.

Problems of Deep Learning in Far-field

global phase degeneracy prevent one-to-one correspondence



diffraction patterns



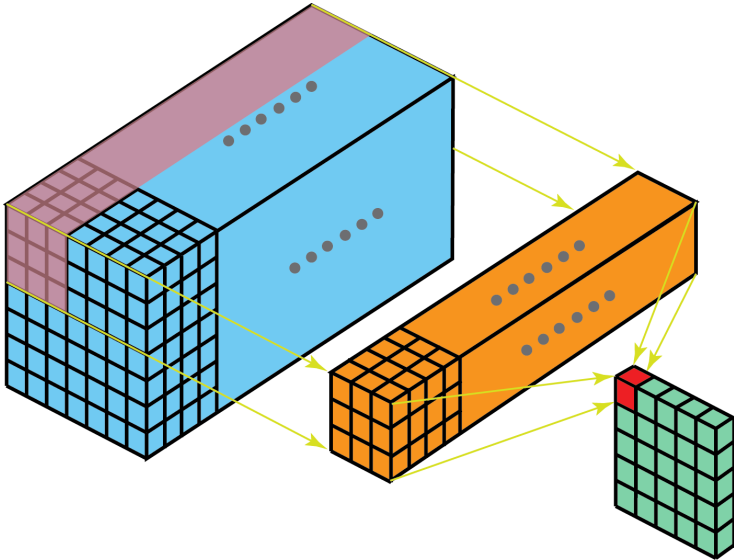
object phase

$$|\mathcal{F}\{P(x, y)O(x, y)\}|^2 = |\mathcal{F}\{P(k_x, k_y) * O(k_x, k_y)\}|^2,$$



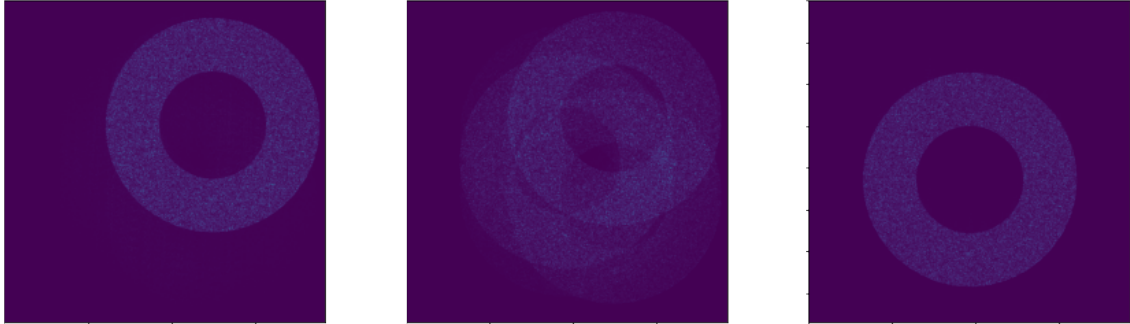
Problems of Deep Learning in Far-field

Conv is translational invariant

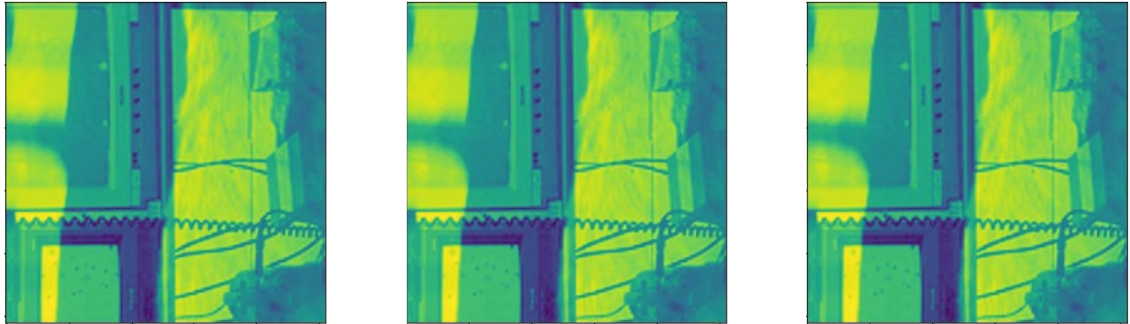


$$u_{ijm} = \sum_{k=0}^{K-1} \sum_{p=0}^{H-1} \sum_{q=0}^{H-1} z_{i+p,j+q,k}^{(l-1)} h_{pqkm} + b_{ijm}$$

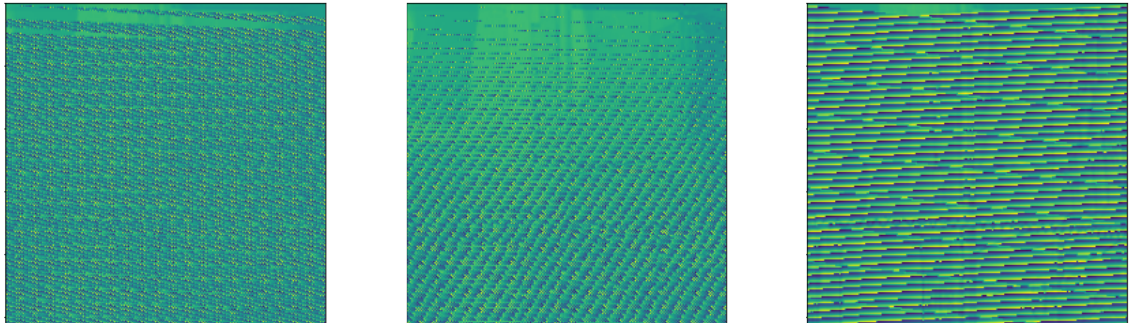
simulated diffraction patterns



object amplitude



object phase



$$g_0(x + \delta x, y + \delta y) \neq |\mathcal{F}\{P(x, y)O(x + \delta x, y + \delta u)\}|^2.$$

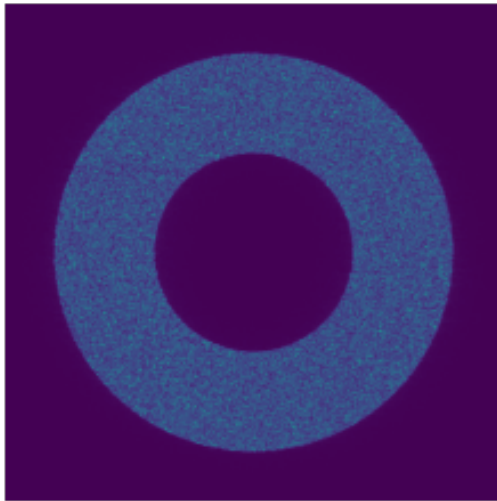


Solution? approximant prior + deep learning

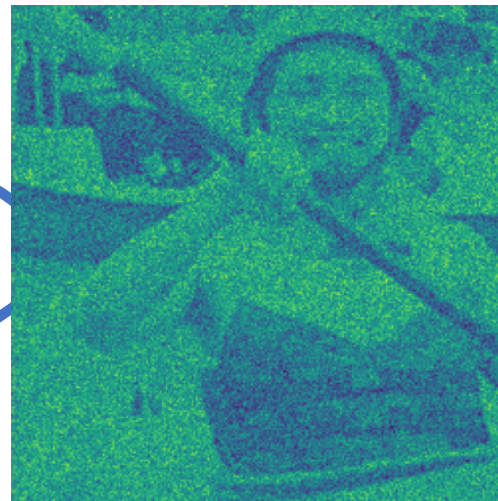
- compute/memory efficient for training
- input to the convolutional network is in image domain
- ground phase state is produced (by tanh layer)



ground truth



diffraction patterns



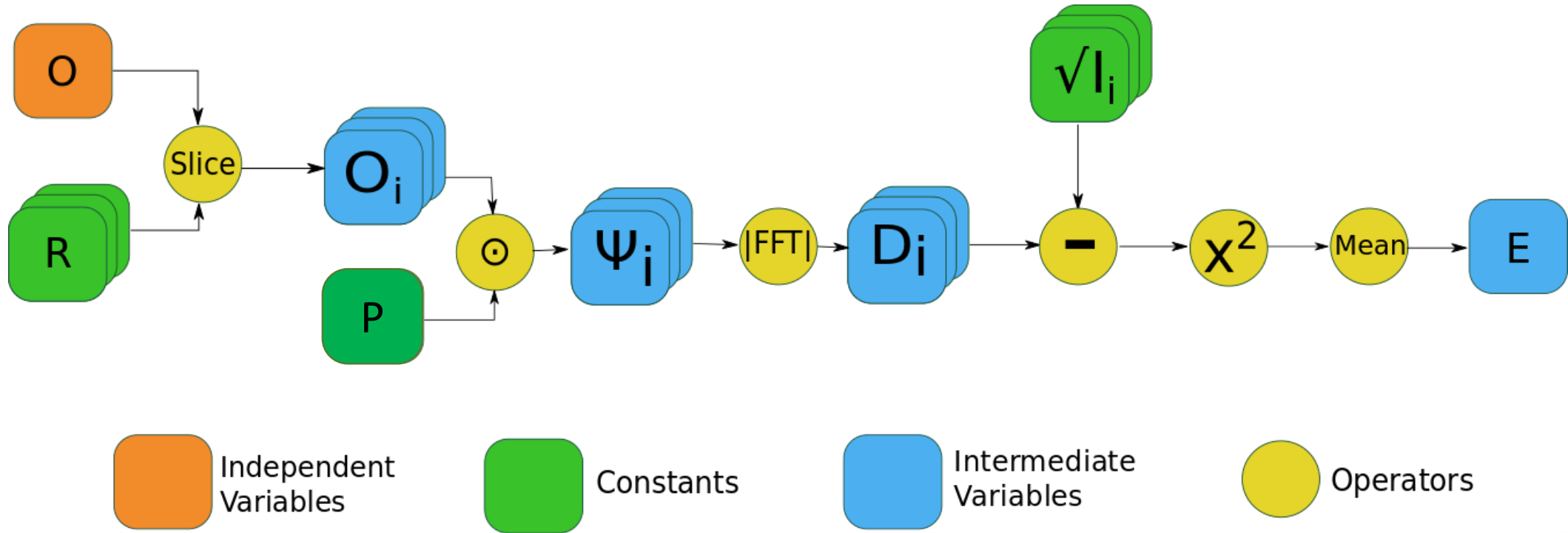
approximant phase



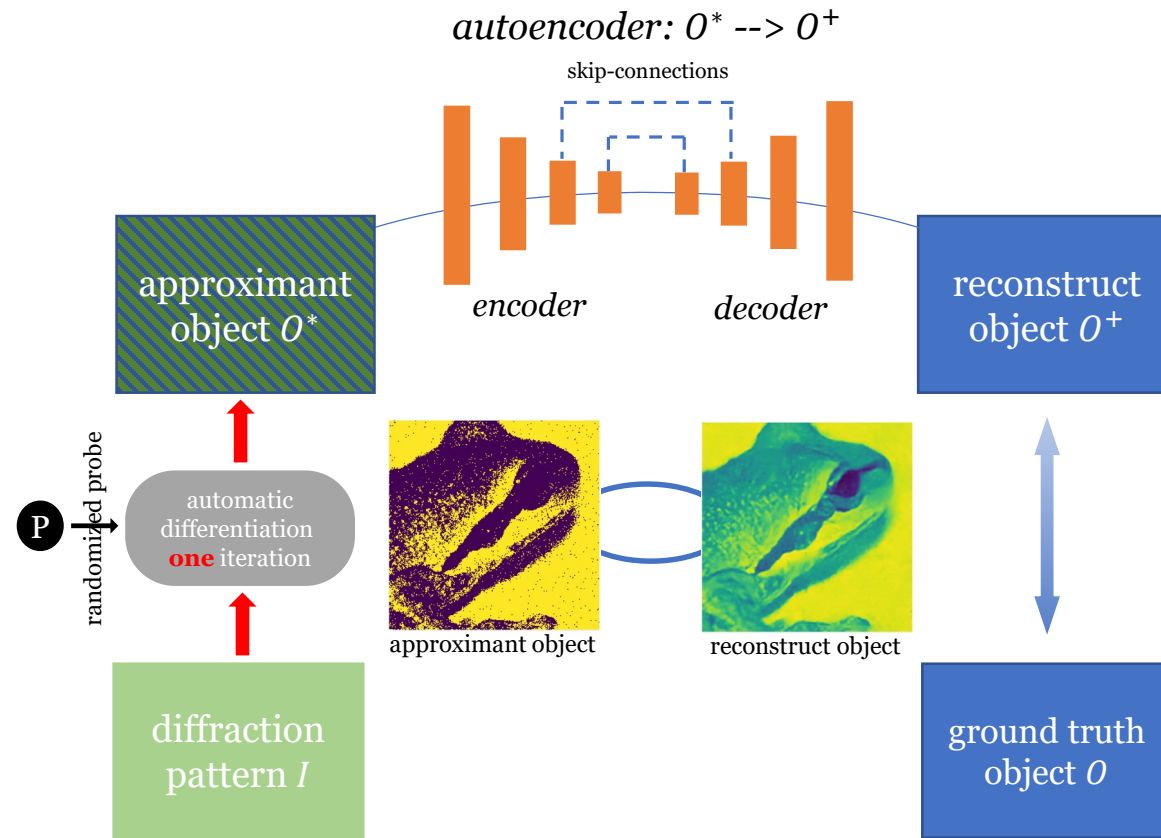
ML reconstructed phase



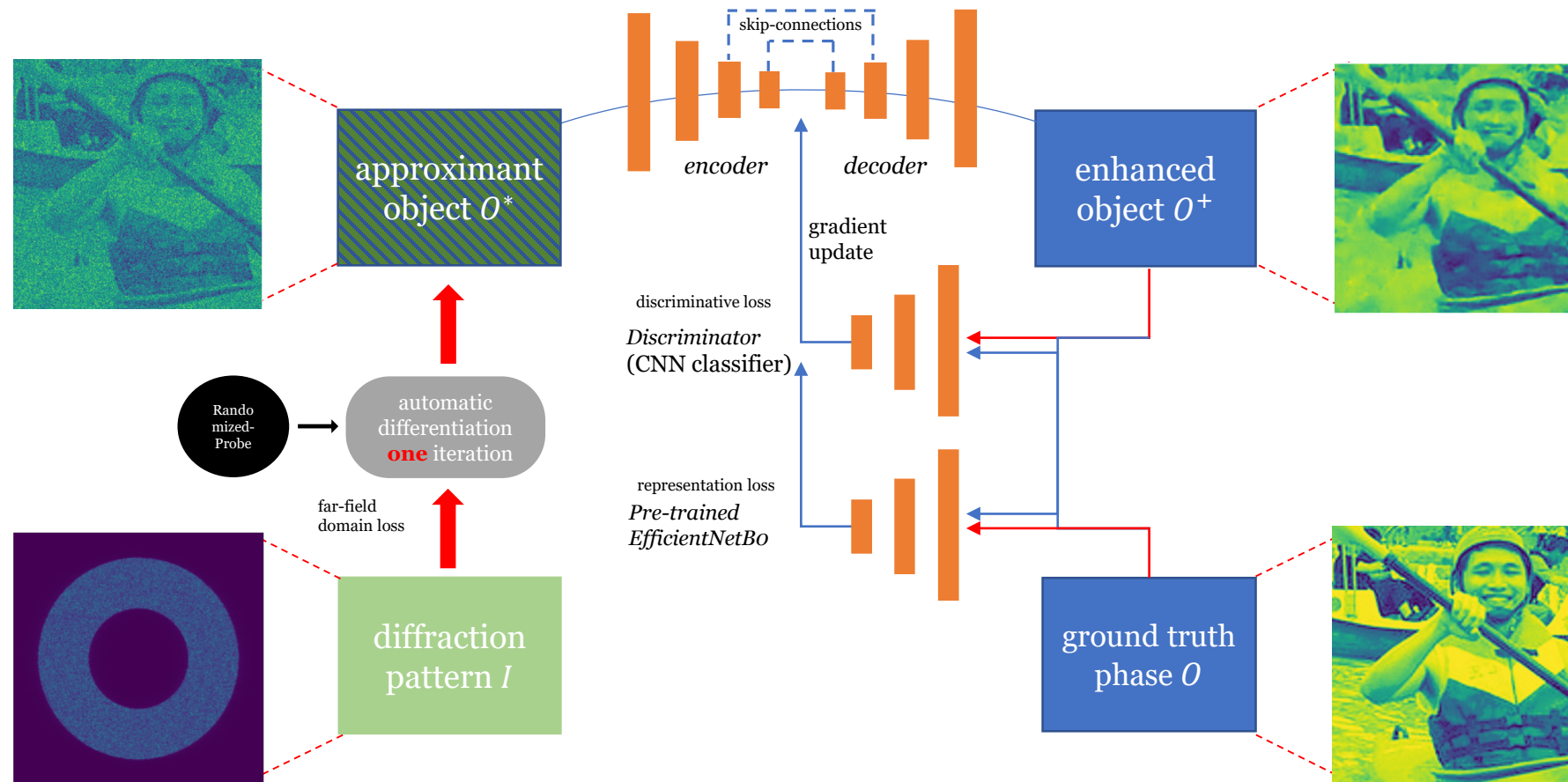
Generating approximant via automatic differentiation with one iteration



Network Architecture



Network Architecture



$$\mathcal{L}_{\text{npcc}}(G_{\mathbf{w}}) = \mathbb{E}_{O, O^*} [-r_{O, G_{\mathbf{w}}}(O^*)]$$

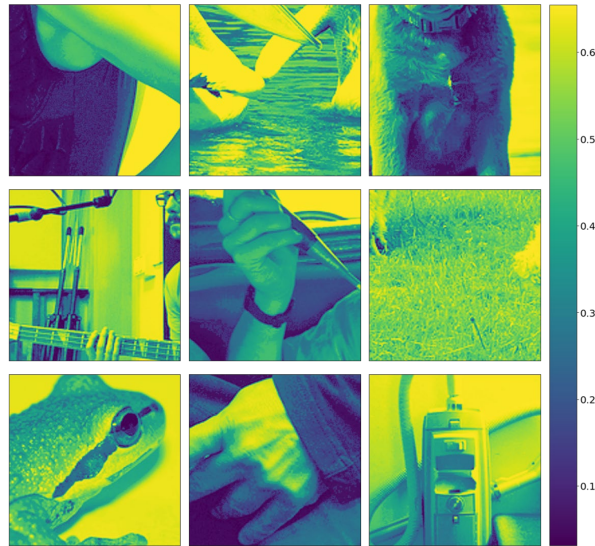
$$\mathcal{L}_{\text{mae}}(G_{\mathbf{w}}) = \mathbb{E}_{O, O^*} [\|H(O) - H(G_{\mathbf{w}}(O^*))\|_1]$$

$$\mathcal{L}_{\text{adv}}(G_{\mathbf{w}}, D'_{\mathbf{w}}) = \left(\mathbb{E}_{O \sim p_{\mathbf{0}}(O)} [\log D'_{\mathbf{w}}(O)] + \mathbb{E}_{O^* \sim p_{O^*}(O^*)} [\log(1 - D'_{\mathbf{w}}(G_{\mathbf{w}}(O^*))) \right]$$

$$\mathcal{L}_{\text{total}} = \mathcal{L}_{\text{npcc}}(G_{\mathbf{w}}) + \alpha \times \mathcal{L}_{\text{mae}}(G_{\mathbf{w}}) + \beta \times \arg \min_{G_{\mathbf{w}}} \max_{D'_{\mathbf{w}}} \mathcal{L}_{\text{adv}}(G_{\mathbf{w}}, D'_{\mathbf{w}})$$



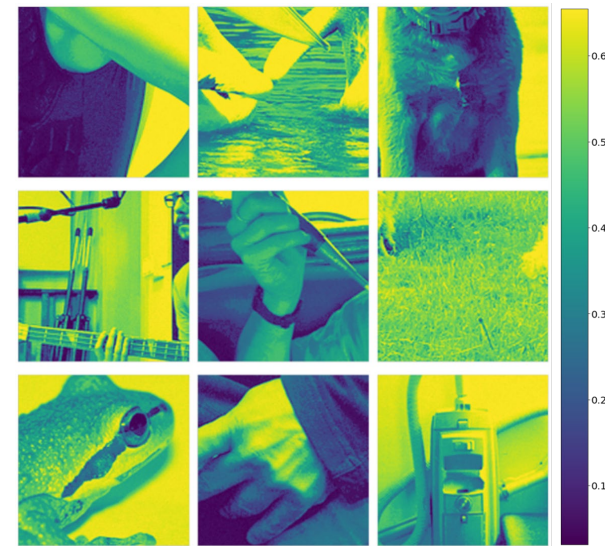
Numerical Results ($R = 0.5$ with 10^4 photons per pixel)



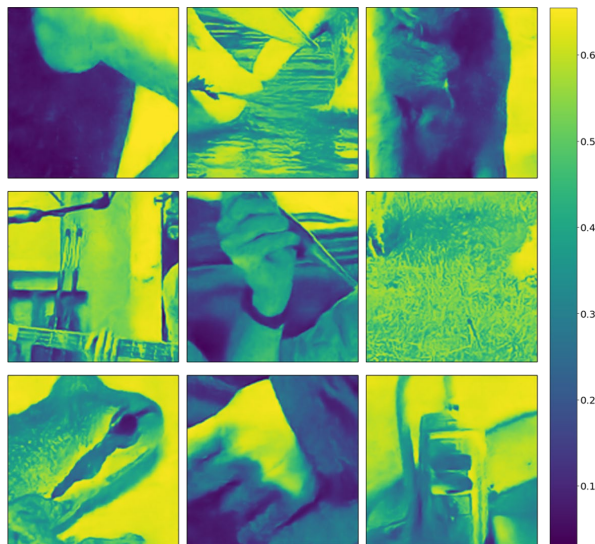
Ground truth



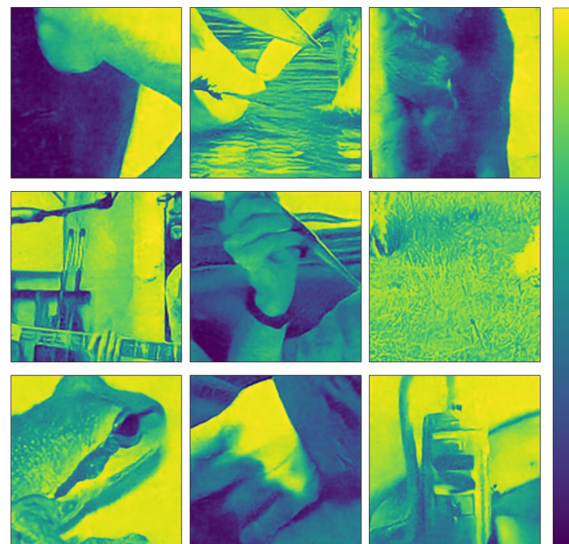
One iteration Approx



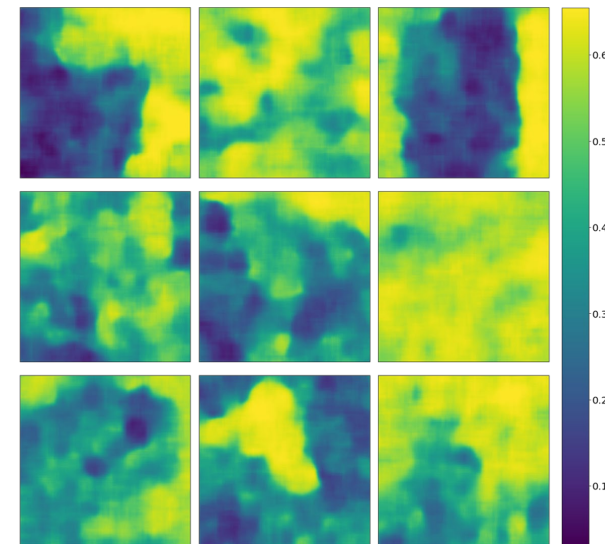
100 iterations



Non-generative

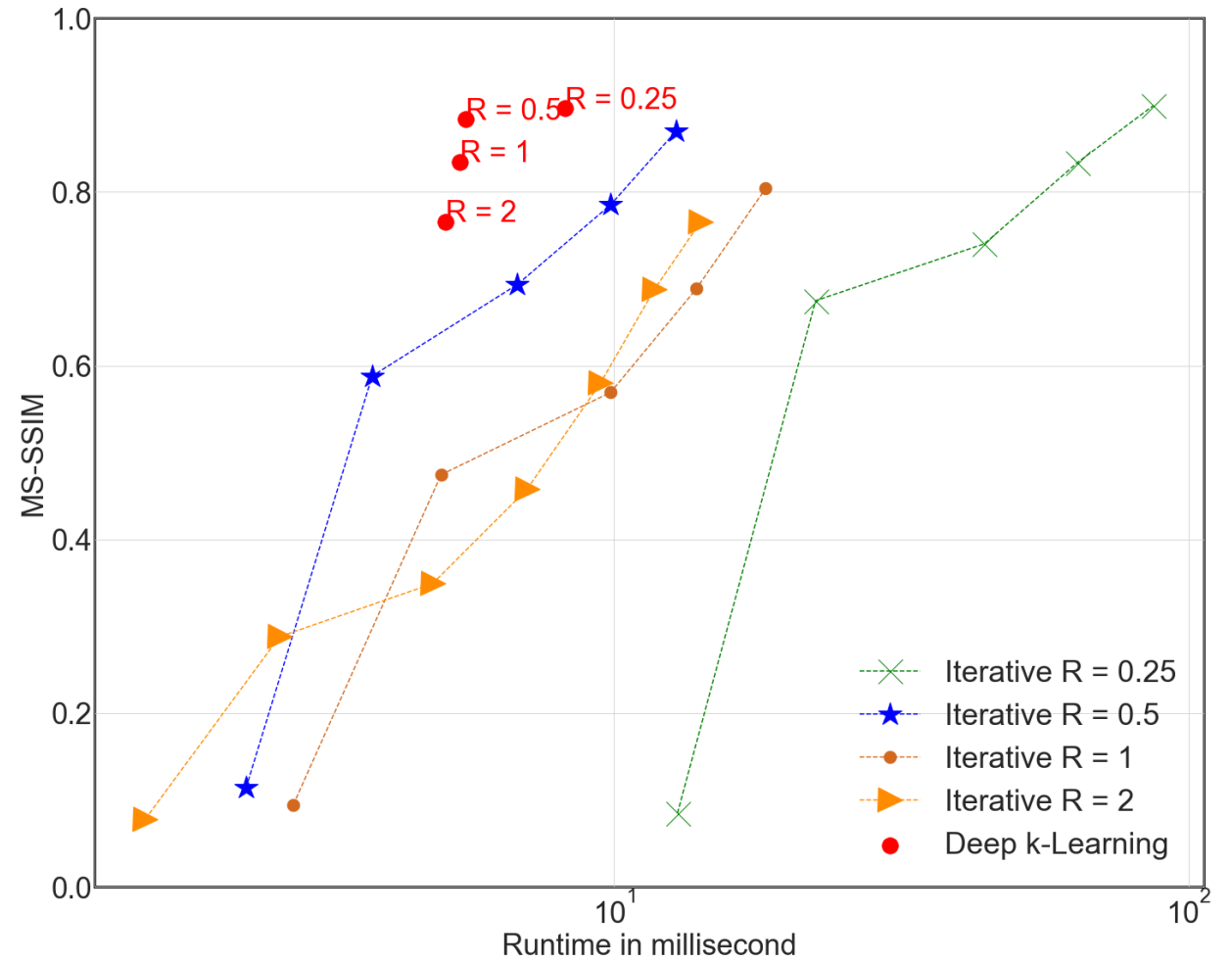
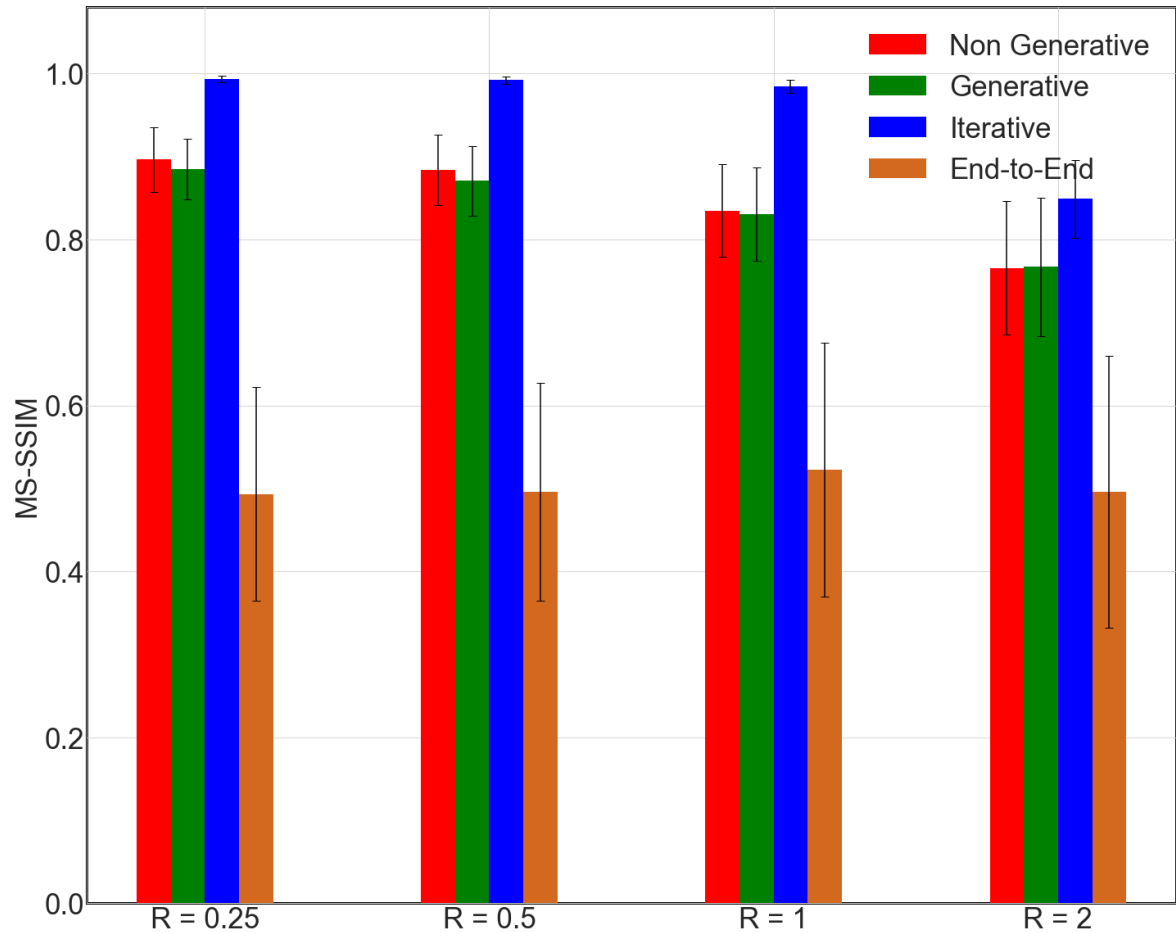


Generative

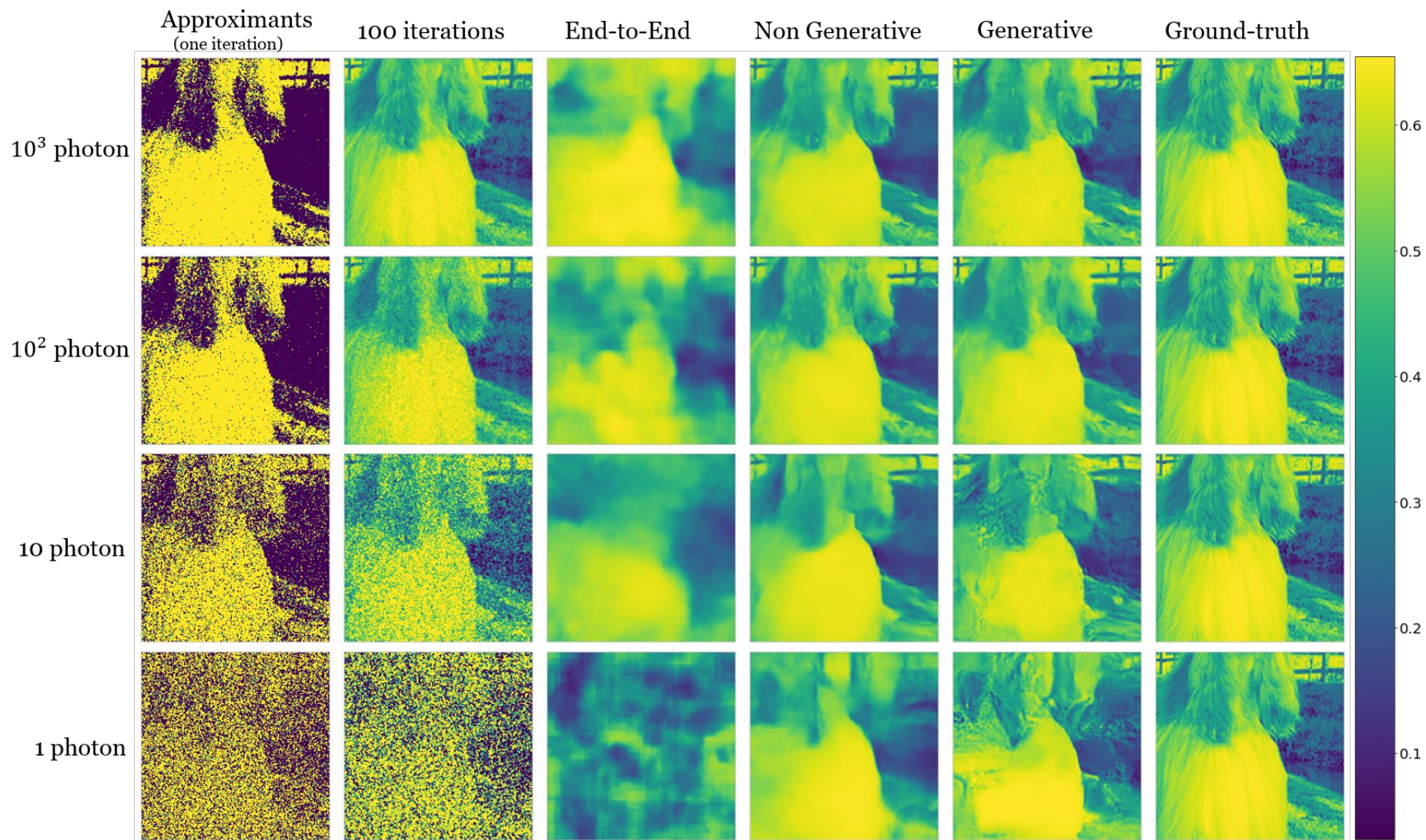


End-to-End

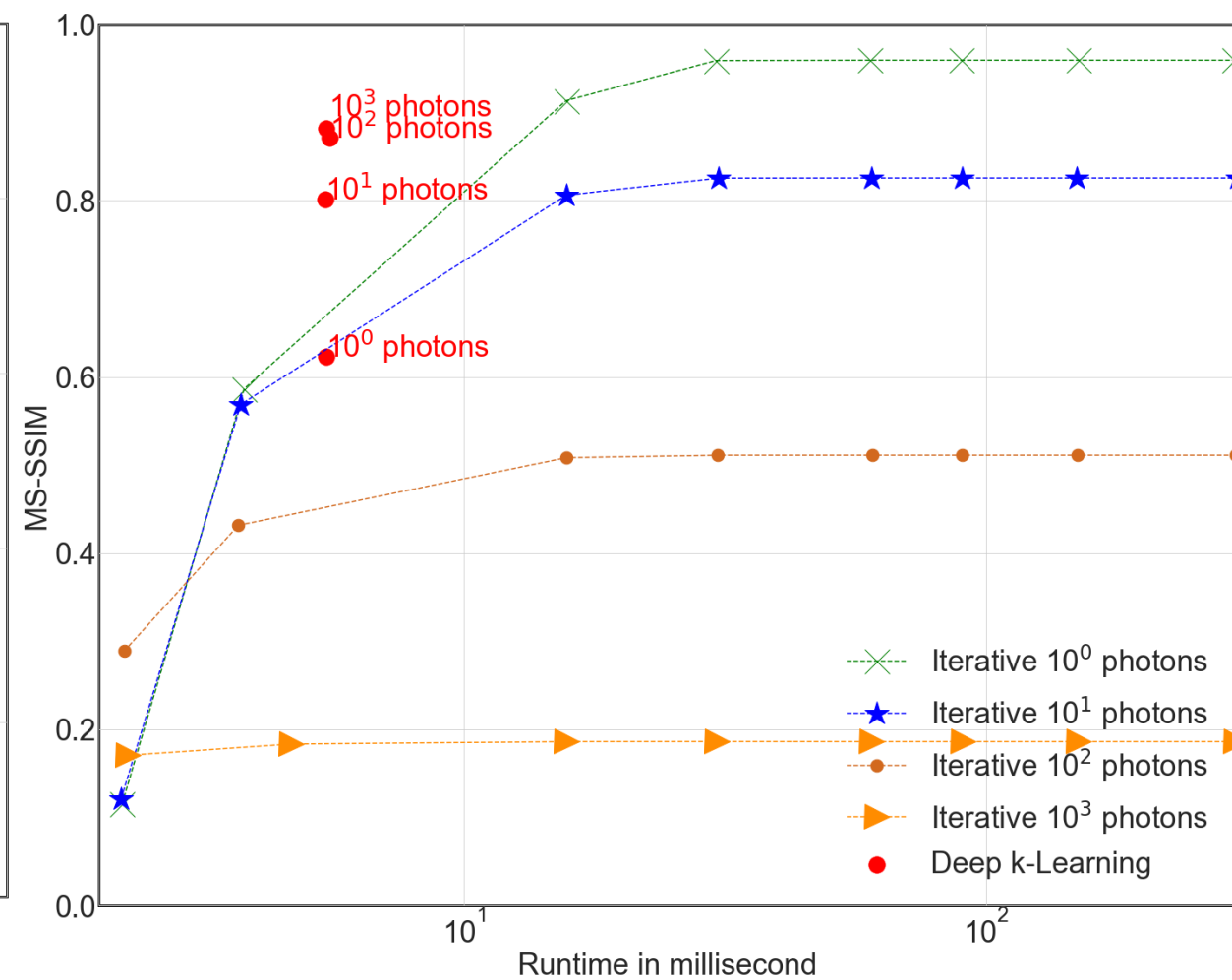
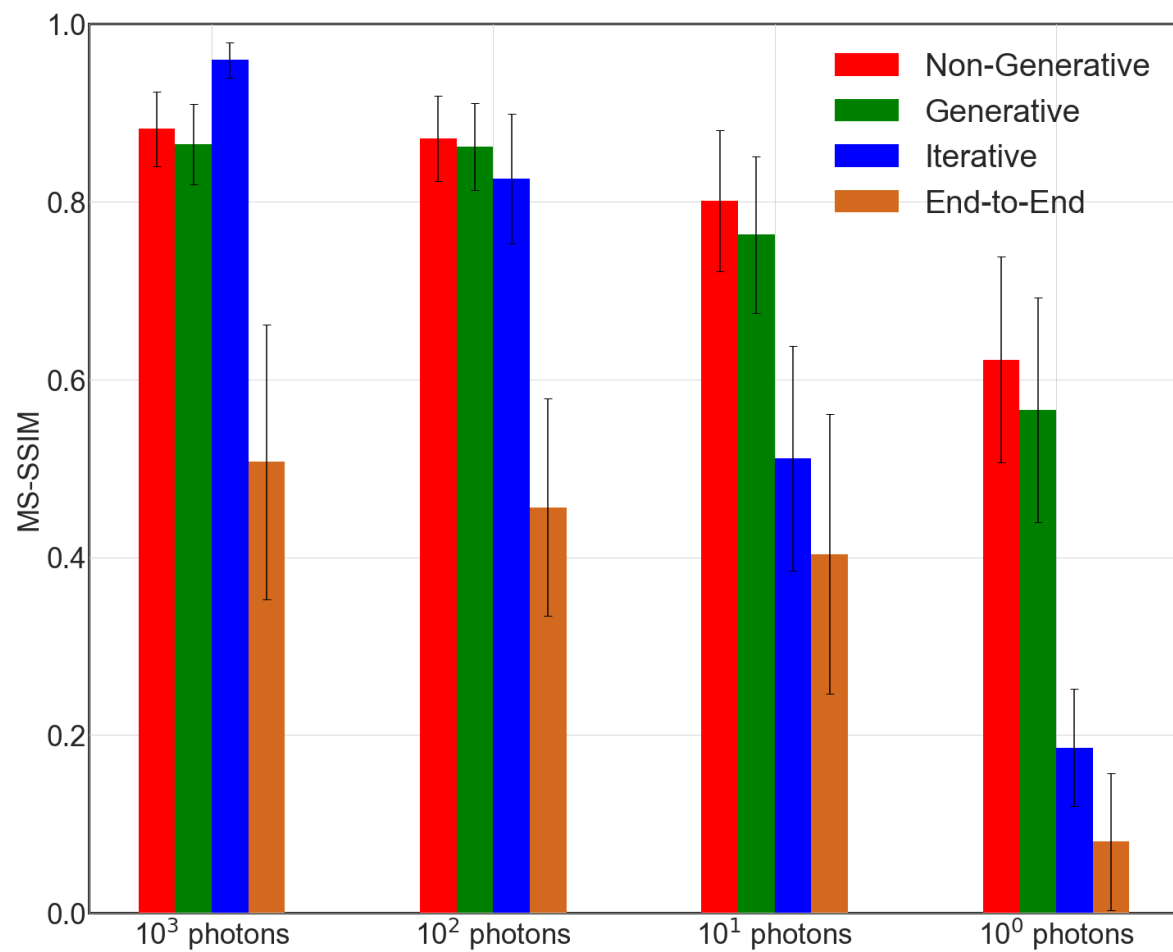
Numerical Results



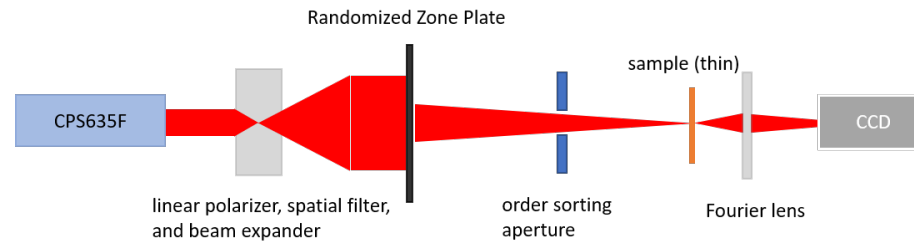
Numerical Results ($R=0.5$)



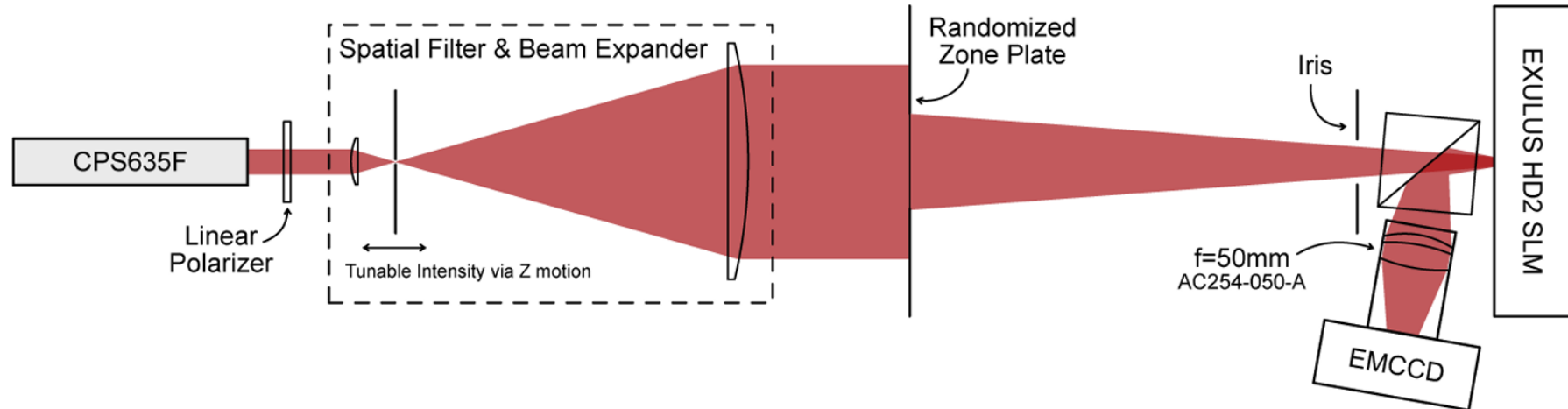
Numerical Results



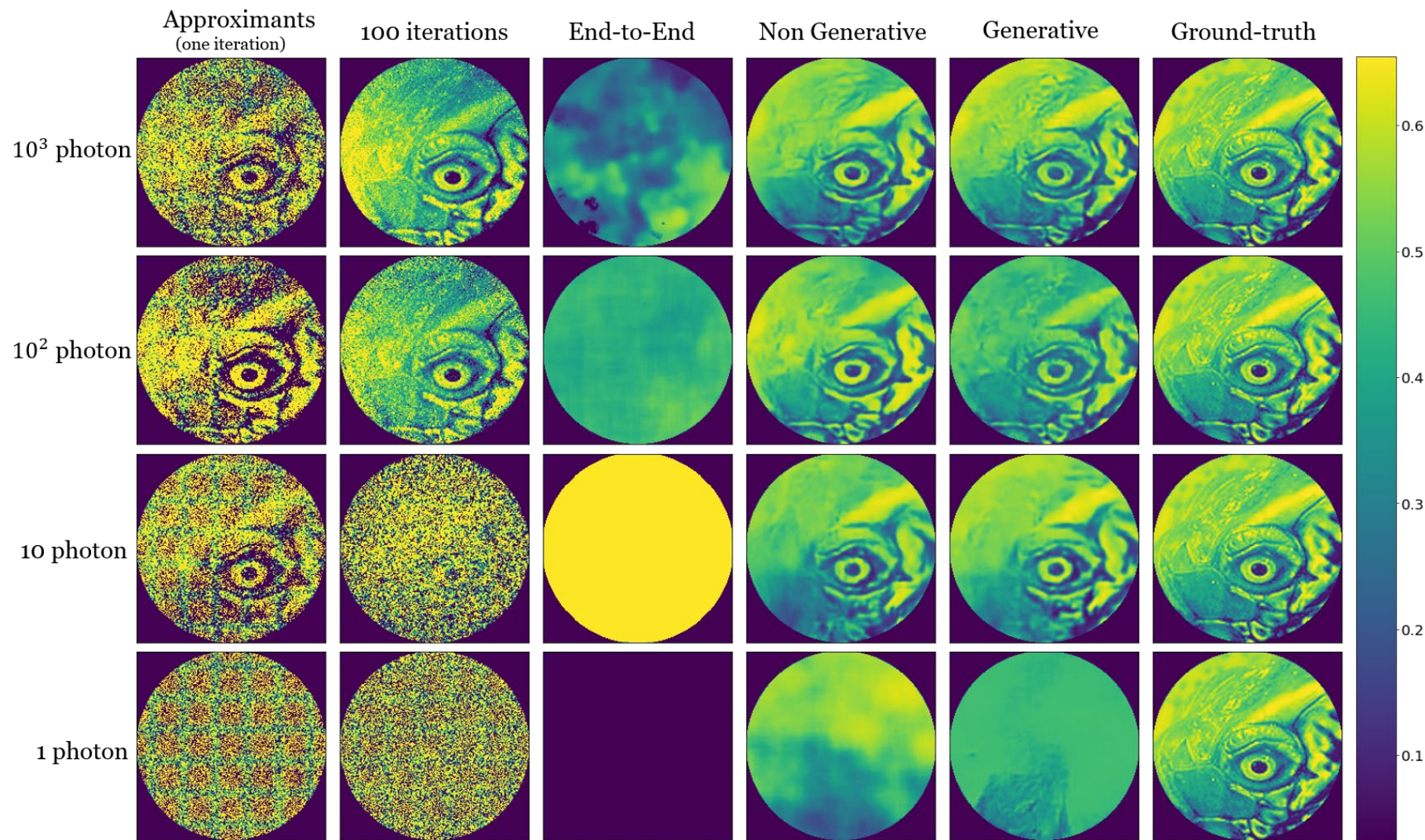
Experimental study



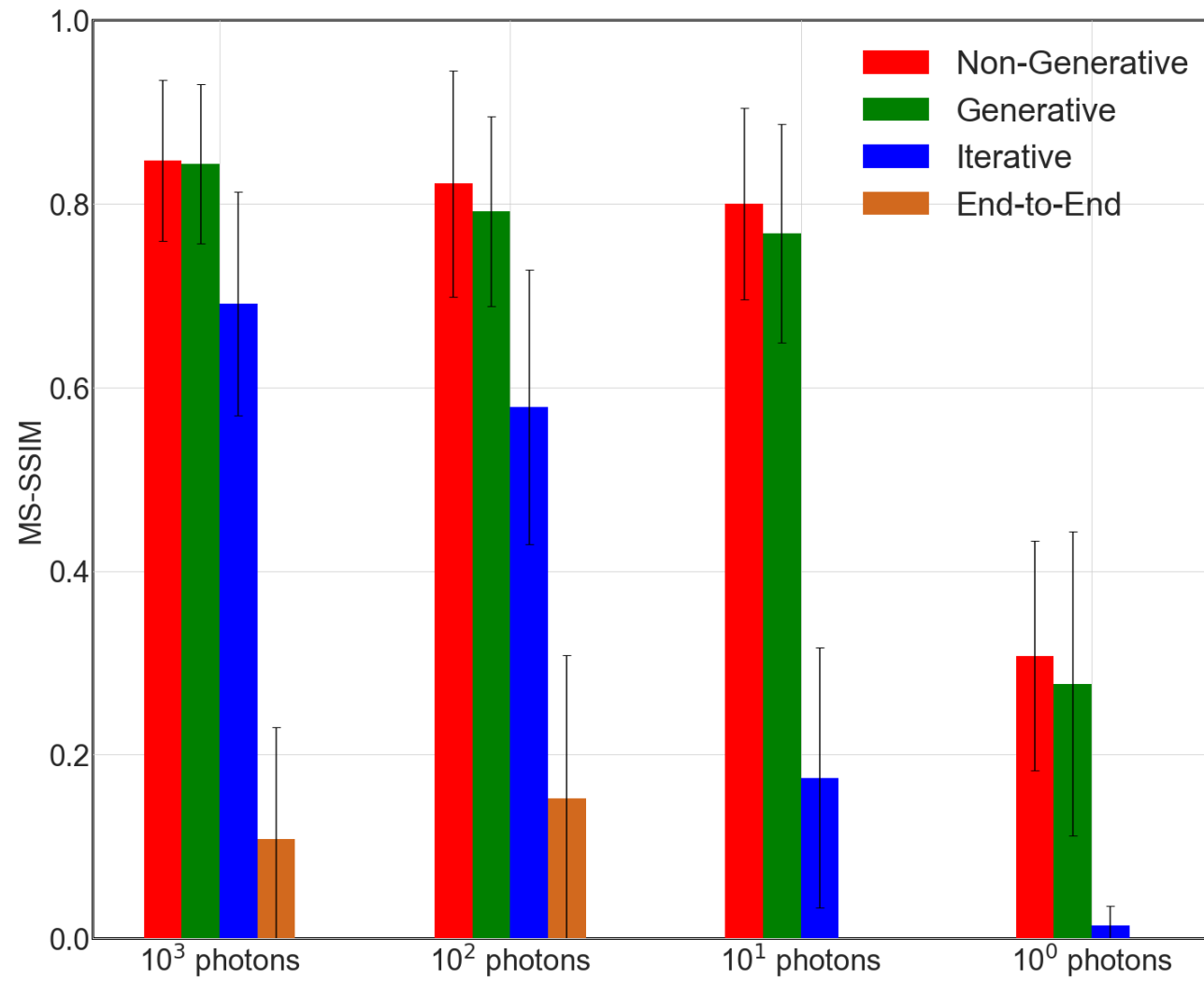
Apparatus for
SLM produced
dataset



Experimental Results (R=0.5)



Experimental Results



Thanks the TEAM!



Abraham Levitan



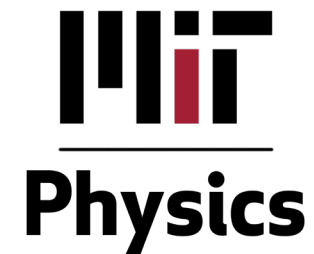
George Barbastathis



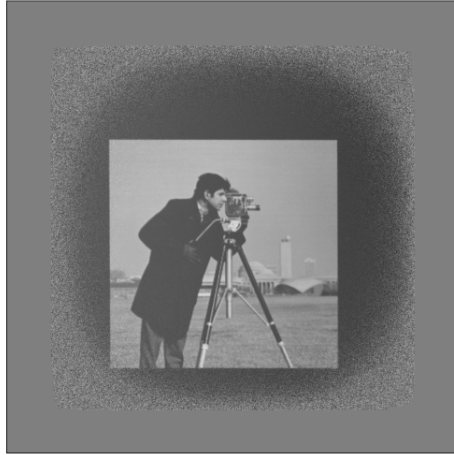
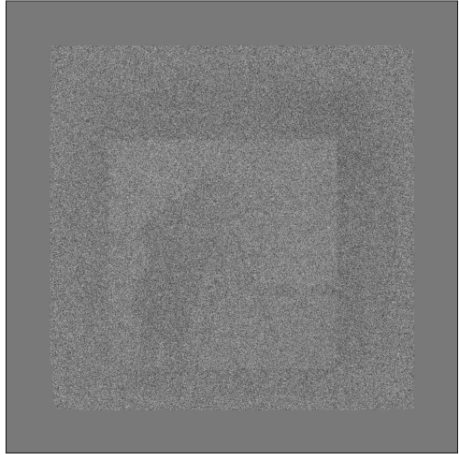
Riccardo Comin



Mo Deng



Ptychography Probe retrieval



RPI reconstruction (100 photon)

Experimental Results

